## THE UNIVERSITY



## OF HONG KONG

### **Department of Mathematics**

## **Departmental Seminar**

## **Zero-Sum Problems**

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#### **Abstract**

In 1961, Erdos, Ginzburg and Ziv (EGZ) proved that for any given sequence  $a_1, a_2, ..., a_{2n-1}$  of integers, one can find a subsequence of length n such that its sum is divisible by n for all  $n \ge 1$ . Also, the constant 2n-1 is tight. In 1966, Davenport posed the following question. Let G be a finite abelian group (additively written). What is the smallest constant, D(G), such that given any sequence  $a_1, a_2, ..., a_\ell$  ( $a_i \in G, \ell \ge D(G)$ ) has a subsequence whose sum is the identity element of G? The result of EGZ and the question of Davenport genearated interest over the period of years and a branch of Combinatorial Number Theory called "Zero-Sum problems" emerged. In this talk, we shall concentrate on certain zero-sum problems on the group  $G = \mathbf{Z}_\ell \oplus \mathbf{Z}_\ell$  where  $\mathbf{Z}_\ell$  is the cyclic group of prime order p. Also, we discuss the inter-relationships over four different conjectures of van Emde Boas, Kemnitz, Gao, Geroldinger et al.

Date: September 5, 2002 (Thursday)

Time: 11:00am

Place: Room 517, Meng Wah Complex